

Some useful Information

Chinese Wall Rules

CW-Simple Security Condition: S can read O if and only if any of the following holds.

- There is an object O' such that S has accessed O' and $CD(O') = CD(O)$.
- For all objects O', $O' \in PR(S) \Rightarrow COI(O') \neq COI(O)$.
- O is a sanitized object.

(O' $\in PR(s)$ indicates O' has been previously read by s)

CW-*-Property: A subject S may write to an object O if and only if both of the following conditions hold.

- The CW-simple security condition permits S to read O.
- For all unsanitized objects O', S can read O' $\Rightarrow CD(O') = CD(O)$.

Clark-Wilson Certification and Enforcement Rules

Certification rule 1 (CR1): When any IVP is run, it must ensure that all CDIs are in a valid state.

Certification rule 2 (CR2): For some associated set of CDIs, a TP must transform those CDIs in a valid state into a (possibly different) valid state.

Enforcement rule 1 (ER1): The system must maintain the certified relations, and must ensure that only TPs certified to run on a CDI manipulate that CDI.

Enforcement rule 2 (ER2): The system must associate a user with each TP and set of CDIs. The TP may access those CDIs on behalf of the associated user. If the user is not associated with a particular TP and CDI, then the TP cannot access that CDI on behalf of that user.

Certification rule 3 (CR3): The allowed relations must meet the requirements imposed by the principle of separation of duty.

Enforcement rule 3 (ER3): The system must authenticate each user attempting to execute a TP.

Certification rule 4 (CR4): All TPs must append enough information to reconstruct the operation to an append-only CDI.

Certification rule 5 (CR5): Any TP that takes as input a UDI may perform only valid transformations, or no transformations, for all possible values of the UDI. The transformation either rejects the UDI or transforms it into a CDI.

Enforcement rule 4 (ER4): Only the certifier of a TP may change the list of entities associated with that TP. No certifier of a TP, or of an entity associated with that TP, may ever have execute permission with respect to that entity.

Core RBAC

$$\text{Permissions} = 2^{\text{Operations} \times \text{Objects}}$$

$$UA \subseteq \text{Users} \times \text{Roles}$$

$$PA \subseteq \text{Permissions} \times \text{Roles}$$

$$\text{assigned_users: Roles} \rightarrow 2^{\text{Users}}$$

$$\text{assigned_permissions: Roles} \rightarrow 2^{\text{Permissions}}$$

$Op(p)$: set of operations associated with permission p

$Ob(p)$: set of objects associated with permission p

$$\text{user_sessions: Users} \rightarrow 2^{\text{Sessions}}$$

$$\text{session_user: Sessions} \rightarrow \text{Users}$$

$$\text{session_roles: Sessions} \rightarrow 2^{\text{Roles}}$$

$$\text{session_roles}(s) = \{r \mid (\text{session_user}(s), r) \in UA\}$$

$$\text{avail_session_perms: Sessions} \rightarrow 2^{\text{Permissions}}$$

RBAC with general Role hierarchy

$$\text{authorized_users: Roles} \rightarrow 2^{\text{Users}}$$

$$\bullet \text{ authorized_users}(r) = \{u \mid r' \geq r \ \& \ (r', u) \in UA\}$$

(Note that for any role $r \geq r'$ – so all role assigned to r are also authorized to r')

$$\text{authorized_permissions: Roles} \rightarrow 2^{\text{Permissions}}$$

$$\bullet \text{ authorized_permissions}(r) = \{p \mid r \geq r' \ \& \ (p, r') \in PA\}$$

RH \subseteq Roles x Roles is a partial order, called the inheritance relation & written as \geq .

$$(r_1 \geq r_2) \rightarrow \text{authorized_users}(r_1) \subseteq \text{authorized_users}(r_2) \ \&$$

$$\text{authorized_permissions}(r_2) \subseteq \text{authorized_permissions}(r_1)$$

Static SoD

$$SSD \subseteq 2^{\text{Roles}} \times \mathbb{N}$$

In absence of hierarchy

Collection of pairs (RS, n) where RS is a role set, $n \geq 2$;

$$\text{for all } (RS, n) \in SSD, \text{ for all } t \in RS: |t| \geq n \rightarrow \bigcap_{r \in t} \text{assigned_users}(r) = \emptyset$$

In presence of hierarchy

Collection of pairs (RS, n) where RS is a role set, $n \geq 2$;

$$\text{for all } (RS, n) \in SSD, \text{ for all } t \in RS: |t| \geq n \rightarrow \bigcap_{r \in t} \text{authorized_users}(r) = \emptyset$$